

- A detailed study may be carried out on the implementation of controller for the simultaneous reduction of SO₂ and NO_x with H₂O₂, and formation of nitric and sulphuric acids as by-products.

APPENDIX 1

HARDWARE SPECIFICATIONS

Table A1.1 Peristaltic pump specifications

Sl. No.	Description	Details
1	Model	RH-P 100VS 100
2	No. of Channels	1
3	Flow rate	0.1 ml to 60 ml / min
4	On timer	0 to 99 hours 59 minutes (In steps of 1 min)

		increment)
5	Interval time	0 to 99.9 seconds (In steps of 0.1 sec increment)
6	Tubing	1 mm to 3 mm ID with 1 to 1.5 mm wall thickness
7	Outer arm	NORYL
8	Arm cover	Transparent poly carbonate
9	Rotor	Glass filled nylon
10	Rollers	Carbon filled nylon
11	Motor	DC stepper motor (Cont. duty)
12	Pressure	Upto 2 kg / sq. cm.
13	Accuracy	$\pm 1\%$
14	Supply	230 v, 50 Hz, Single phase AC
15	Dimension	110 x 225 x 280 mm (H x W x D)
16	Weight	7.5 Kgs (App.)

Table A1.2 SO₂ gas sensor specifications

Sl. No.	Description	Details
1.	Make	VASTHI
2.	Model	Expo-98 FTD
3.	Gas detection	SO ₂ in atm
4.	Sensor	Electrochemical
5.	Principle	Diffusion
6.	Input	24V AC
7.	Output	4-20mA
8.	Display	Digital LCD Display

9.	Range	0- 5000 ppm
10.	Sensor Holder	SS Housing
11.	Accuracy	$\pm 2\%$

Table A1.3 General Specifications of VDPID-03 card

Sl. No.	Description	Details
1.	ADuC841 microcontroller	<ul style="list-style-type: none"> • High Speed 420 KSPS ADCs (Successive approximation converter) • 2 independent 24-bit ADCs • 12-bit voltage output DAC • Upto 10 ADC input channels on all parts • 62-kbytes on-chip Flash/EE program memory
2.	ADC channel	<ul style="list-style-type: none"> • Input range: (0-5 V) • Input channels: 8 single ended • Current input channels (4-20 mA): 2 • Voltage input channels (0-5 V): 6 • Accuracy: $\pm 0.8\%$ • Conversion time: 7 conversion per sec • Resolution: 12 bits
3.	DAC channel	<ul style="list-style-type: none"> • Output range: (0-5 V) • Output channels: 2 • Accuracy: $\pm 0.02\%$ • Resolution: 12 bits
4.	I/V Converter	<ul style="list-style-type: none"> • Input and Output channel : 1 • Output range (0-5 V)
5.	V/I Converter	<ul style="list-style-type: none"> • Input and Output channel : 2 • Output range (4-20 mA)
6.	Interface with Supervisory Computer System	Through RS232
7.	Real time control algorithm	MATLAB/SIMULINK platform

DESIGN DETAILS OF ACCESSORIES

- **A Shell and tube Heat exchanger**

Type	:	Shell and tube
Length	:	300mm
Dia	:	60mm
Number of tube	:	6
Tube Dia	:	6mm
Connection	:	½” Flanged

- **A VFD based pump**

Input	:	(4-20)mA or (0-10)V DC
Flow rate	:	(0-200)lph
Power	:	0.5HP
Body material	:	MS.
Suction material	:	PVDC
Connection	:	½” BSP

- **Process tank (Recirculation tank)**

Material	:	Acrylic
Height	:	300 mm
Diameter	:	300 mm
Thickness	:	5 mm

- **Solution tank (H₂O₂ and Water)**

Material	:	Acrylic
Height	:	300 mm
Diameter	:	300 mm
Thickness	:	5 mm

- **Pressure regulator**

Make	:	ABB
Serial No.	:	8406123
Maximum input	:	18 kg / cm ²
Output	:	(0.2 -8) kg / cm ²
Special Features	:	Regulator/Filter
End connection	:	1/4" BSP(F) Thread

- **Submersible pump**

Make	:	Tullu
Model	:	Handy II
Supply	:	230 V AC
Outlet nozzle	:	13 mm
Max. head	:	1.75 m
Max. discharge	:	800 lph

APPENDIX 2

MATLAB CODING FOR OBTAINING CDM-PID CONTROLLER PARAMETERS

```

% Plant transfer function

num=[0 1.5616];           % Numerator of plant transfer function
den=[13.58 1];           % Denominator of plant transfer function
delay=23.48;              % Equivalent transfer function using
                           % Pade approximation technique

numdel=[-delay 2];       % Pade approximation of the continuous-
time delay exp(-T*s)     [Numerator]
dendel=[delay 2];        % Pade approximation of the continuous-
time delay exp(-T*s)     [Denominator]
np=conv(num,numdel)      % polynomial multiplication
                           [Numerator]
dp=conv(den,dendel)      % polynomial multiplication
                           [Denominator]

% Selected stability indices and Equivalent time constant
%ts=102;                  % Enter the value of settling time
g1=2.5;                   % Gama1 value
g2=2;                     % Gama2 value
tau=40.8;                 % Equivalent time constant

```

```

% Coefficients of CDM controller polynomials
p3=np(1,3)*(((tau)^3)/(g1^2*g2));           % Coefficient of target
                                             characteristics polynomial
p2=np(1,3)*((tau^2)/g1);                   % Coefficient of target
                                             characteristics polynomial
p1=np(1,3)*tau;                             % Coefficient of target
                                             characteristics polynomial
p0=np(1,3);                                 % Coefficient of target
                                             characteristics polynomial

ptarget=[p0 p1 p2 p3];a=[0 0 np(1,3) 0;0 np(1,3) np(1,2) dp(1,3);np(1,3)
np(1,2) 0 dp(1,2);np(1,2) 0 0 dp(1,1)]
b=[p0 p1 p2 p3]'
c=a\b
% Coefficient of controller polynomials
k2=c(1,1)
k1=c(2,1)
k0=c(3,1)
l1=c(4,1)
k2=(((318.85*g1^2*g2)- tau^3)/(g1^2*g2*36.6664));
k1=(((3.1212*k2*g1)- tau^2)/(36.6664*g1));
k0=(((3.1212*k1)- tau)/36.6664);
% CDM controller parameters
Kc=k1/l1
Ti=k1/k0
Ki=Kc/Ti
Td=k2/k1
Kd=Kc*Td
kf1= Ti*Td;
kf2= Ti;

```


APPENDIX 3

MATLAB CODING FOR OBTAINING PARAMETERS FOR FOCDM-PI^λD^μ CONTROLLER PARAMETERS

```

function[fu]=fopid(par)
for t=1:20
    nump=[- 36.6664 3.1212];           % Numerator controller polynomial
    denp=[318.85 50.64 2];           % Denominator controller
                                   % polynomial
    so2=tf(nump,denp);               % controller transfer function
    % Initialsization of variables
    lemnda =par(t,1);                % lamda from PSO coding
    meu = par(t,2);                  % meu from PSO coding
    Kp = 0.3357;
    Ki = 0.0186;
    Kd = 0.098;
    wc=0.000992;
    wmax=99.2;
    y=1;

% Singularity function approximation method

a = 10*(y/(10*(1- lemnda)));
b = 10*(y/(10*lemnda));
Po = wc*(y/(20*lemnda));

```

```

Zo = a*Po;
N1 = round([log(wmax/Po)/log(a*b)]+1);
N1=real(N1);
Pi=0;
Zi=0;
for i=0:N1
Pi1=Po*(a*b)^i;
Pi=Pi+(1/Pi1);
end
for j=0:(N1-1)
Zi1=Zo*(a*b)^j;
Zi=Zi+(1/Zi1);
End
% integer order approximation of controller equation
num=[(Ki*Zi) (Ki*N1)];
den=[Pi N1];
Ci=tf(num,den)
a1 = 10*(y/(10*(1- meu)));
b1 = 10*(y/(10*meu));
Z1 = wc*(y/(20*meu));
P1 = a*Z1;
ND = round([log(wmax/Z1)/log(a*b)]+1);
ND=real(ND);
Pd=0;
Zd=0;
for l=0:ND
Pd1=P1*(a*b)^l;
Pd=Pd+(1/Pd1);
Zd1=Z1*(a*b)^l;

```

```
Zd=Zd+(1/Zd1);  
end  
% integer order approximation of controller equation  
nu=[(Kd*Zd) (Kd*ND)];  
de=[Pd ND];  
Cd=tf(nu,de);  
Cs=Kp*(1+(Ki*Ci)+(Kd*Cd));  
% feedback from the controller by applying random lamda and meu  
sys_cl=feedback(Cs*so2,1);  
t=0:1:500;  
bbout=step(500*sys_cl,t);  
sp=500;  
err=sp-bbout;  
ISE=sum(err.*err);  
Mp=((max(bbout)- sp)/sp)*- 1;  
beta=1;  
F=(1- exp(beta))*(ISE);  
fu=F;  
end
```

APPENDIX 4

MATLAB CODING FOR OBTAINING λ AND μ USING PSO ALGORITHM

```

clc;
clear all;
n=250; %particles size
dim=2; %number of particles
p(1:n,1)=0; q(1:n,1)=0.2; %initializing the particles
p(1:n,2)=0.8; q(1:n,2)=1;
s=r/2;
pos=p+r.*rand(n,dim); %initialization of position
vel=s.*rand(n,dim); %initialization of velocity

obfun= fopidn(pos(:,,:)); % call the objective function
[fgbest,igbest]=min(obfun);
gbest=pos(igbest,:); %find the glodal best value
pbest=pos; %find the local best value
fpbest=obfun;

itmax=2000; %number of iterations
c1=2; c2=2; % learning factor
wmax=0.9; wmin=0.4; % inertia weights
w=linspace(wmax,wmin,itmax)
for it=1:itmax;

```

```
% update the velocity and position
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```
vel(1:n,1:dim)=w(it)*vel(1:n,1:dim)+c1*rand*(pbest(1:n,1:dim)- pos(1:n,1:dim)))+c2*rand*( repmat(gbest,n,1)- pos(1:n,1:dim));  
pos(1:n,1:dim)=pos(1:n,1:dim)+vel(1:n,1:dim);
```

```
% call the objective function
```

```
obfun = fopidn(pos(:,:));  
[minf,iminf]=min(obfun);  
if minf<= fgbest  
fgbest=minf; gbest=pos(iminf);  
end  
q(it,:)=gbest(1,:);  
inewpb=find(obfun<=fgbest);  
pbest(inewpb,:)=pos(inewpb,:); fpbest(inewpb)=obfun(inewpb);  
end
```