APPENDIX
Appendix-2

Between-Subjects Factors

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Tests of Between-Subjects Effects

Dependent Variable: Total Memory Score

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a. R Squared = .674 (Adjusted R Squared = .623)
### Total Memory Score

#### Multiple Comparisons

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Based on observed means.
The error term is Mean Square(Error) = 260.292.

* The mean difference is significant at the .05 level.

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### Total Memory Score

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### family history

**Scheffe\(^{a,b}\)**

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Means for groups in homogeneous subsets are displayed.


b. The group sizes are unequal. The harmonic mean of the group sizes is used. Type I error levels are not guaranteed.

### conduct disorder

**Scheffe\(^{a,b}\)**

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b. The group sizes are unequal. The harmonic mean of the group sizes is used. Type I error levels are not guaranteed.

### Hyperkinesis

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Means for groups in homogeneous subsets are displayed.


b. The group sizes are unequal. The harmonic mean of the group sizes is used. Type I error levels are not guaranteed.

### Oneway

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### Post Hoc Tests

#### Homogeneous Subsets

### Developmental History

#### Mental Control

Scheffe\(^a,b\)

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Means for groups in homogeneous subsets are displayed.


b. The group sizes are unequal. The harmonic mean of the group sizes is used. Type I error levels are not guaranteed.

### emotional disorder

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### ocd

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### somatoform

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### psychosis

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Means for groups in homogeneous subsets are displayed.


b. The group sizes are unequal. The harmonic mean of the group sizes is used. Type I error levels are not guaranteed.

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Means for groups in homogeneous subsets are displayed.

### Stressors

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Means for groups in homogeneous subsets are displayed.

- b. The group sizes are unequal. The harmonic mean of the group sizes is used. Type I error levels are not guaranteed.

### Sativc temperament

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Means for groups in homogeneous subsets are displayed.

b. The group sizes are unequal. The harmonic mean of the group sizes is used. Type I error levels are not guaranteed.

### rajasic temperament

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Means for groups in homogeneous subsets are displayed.


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### thamasic temperament

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Means for groups in homogeneous subsets are displayed.


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### Personal information

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### sentence recall

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**LM(D)**

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Means for groups in homogeneous subsets are displayed.


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**LM(I)**

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Means for groups in homogeneous subsets are displayed.


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Means for groups in homogeneous subsets are displayed.


b. The group sizes are unequal. The harmonic mean of the group sizes is used. Type I error levels are not guaranteed.

### Picture recall

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Means for groups in homogeneous subsets are displayed.


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### DS(F)

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### DS(B)
Scheffe\(^a,b\)

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Means for groups in homogeneous subsets are displayed.


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WR(NM)

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### Delayed response learning

Scheffe\(^{a,b}\)

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### Intelligence

Scheffe\(^{a,b}\)

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**BVRT**

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**Paired associate learning**

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### Cattle retentivity test

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### Total Memory Score

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